

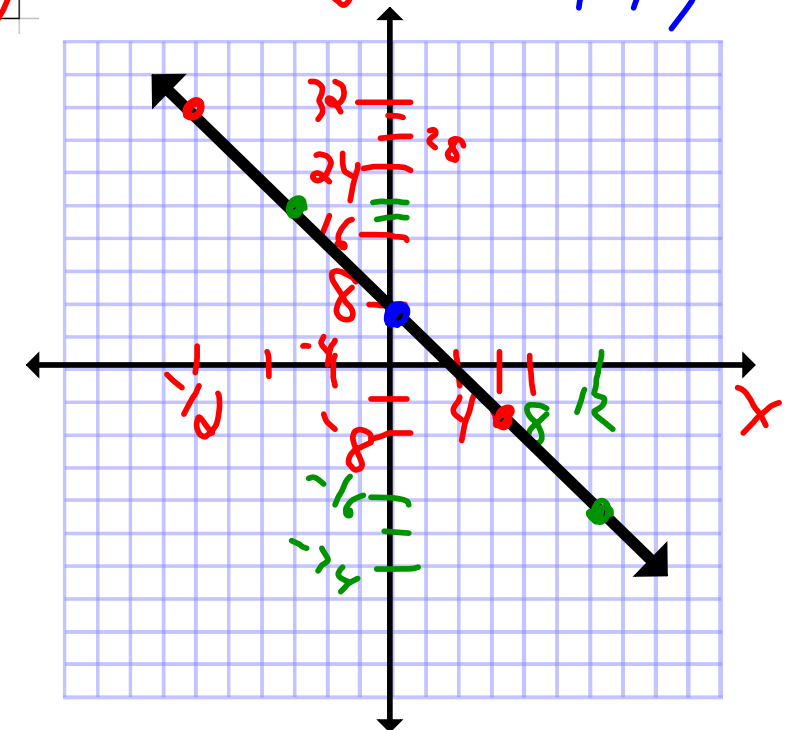
HOMWORK  
REVIEW

Worksheet B  
#2.g)  $y = -2x + 7$

	x	y = -2x+7
A	-12	$y = -2(-12) + 7 = 31$
B	-6	19
C	0	7
X/6	6	-5
	12	-17

$(-12, 31)$   
 $(-6, 19)$   
 $(0, 7)$

Rate of change  $\Delta y / \Delta x = -2$   
or  
Rate of change  $\Delta y / \Delta x = -2$   
Slope =  $\frac{-2}{1} = -2$



$y=3x+4$

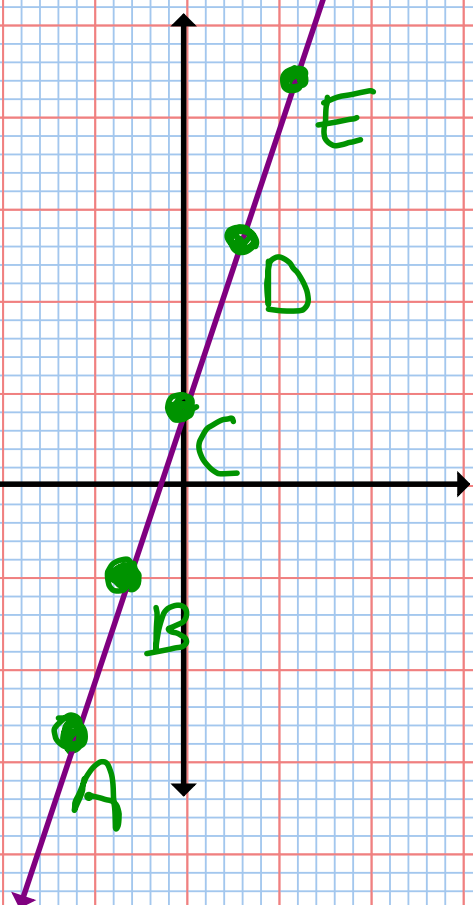
x	y
A -6	$y=3(-6)+4=-14$
B -3	-5
C 0	4
D 3	13
E 6	22

Worksheet B

#2

$$\text{Rate} = \frac{y}{x} = \frac{9}{3} = 3$$

$$y = 3x$$



# Worksheet C

Comptfix → constant term

$$y = 50 + 30x \rightarrow \text{variable term}$$

$x = \text{time in hours}$   
 $y = \text{service cost}$

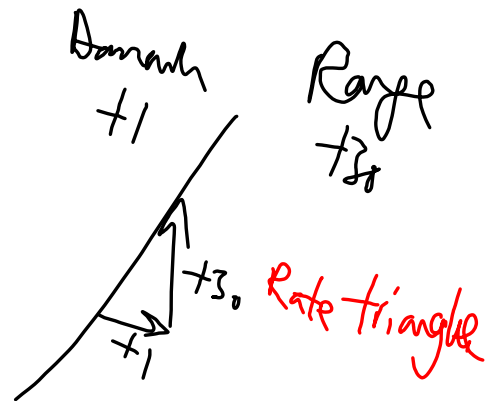
Computer Doctor

$$y = 55x + 0$$

variable term      constant term

# Worksheet C

## Competix - Patterns



$y = 50 + 30x$   
"x" = hours of labor  
"y" = service cost (\$)

the coefficient of  $30x$  is  
the pattern in rate  $\Delta$ .

$$\text{Rate } \Delta = \frac{\text{dep}}{\text{indep}} = \frac{+30}{+1} = \frac{30}{1} = 30$$

ex.  $\frac{2x}{3}$  coefficient  $\frac{2}{3} = \text{Rate} = \frac{2}{3}$

worksheet "C" example on back

# of people	cost
0	$y=450+15(0)=450$
10	600
20	750
30	900
40	1050
50	1200

$\Delta x$

$\Delta y$

$$\text{Rate} = \frac{\Delta y}{\Delta x} = \frac{150}{10}$$

$$y = 450 + 15x$$

Why?



450 is constant  
and \$15 price  
times the variable representing  
the amount of people attending

base fee = \$450  
variable fee = \$15 times X.

## 2.4 Connecting Equations & Graphs

Ex 1

x	y
0	50
1	80
2	110
3	140
4	170
5	200

base = 50  
y intercept (0, 50)

$$\text{Rate } \Delta = \frac{30}{1} = 30$$

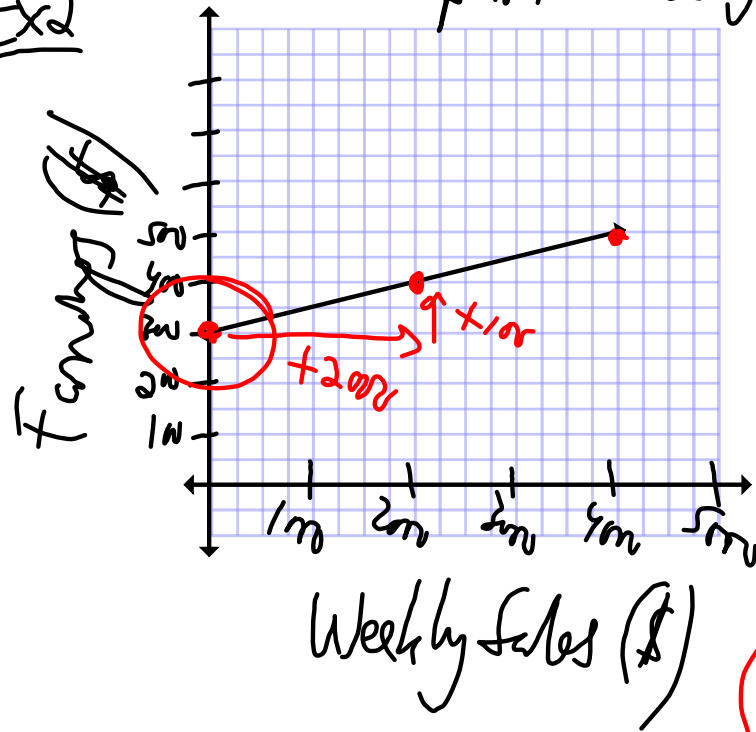
$$y = 50 + 30x$$

y = constant  
(base amount)

plus variable amount  
(Rate times x)

# Mph's Weekly Earnings

Ex 2



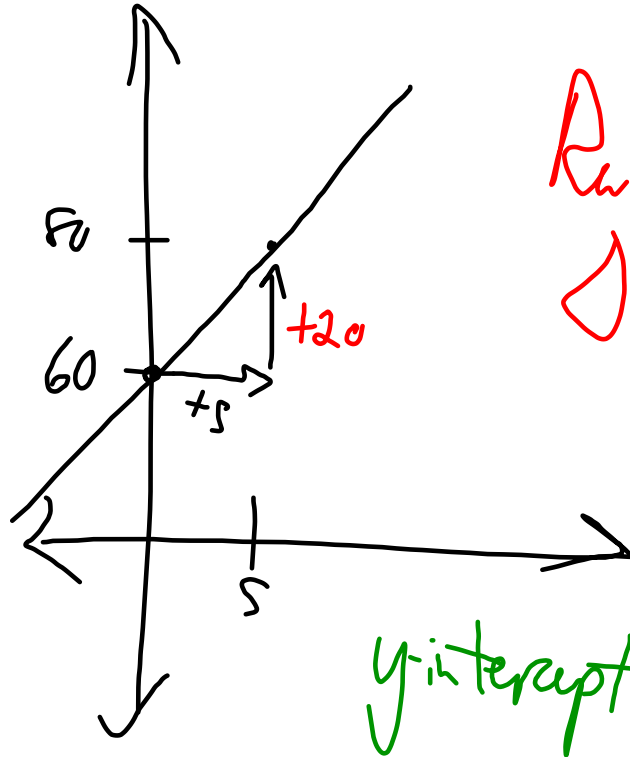
base earnings = 300  
Rate =  $\frac{+100}{+200}$

Rate =  $\frac{1}{20}$

Equation?  $y = 300 + \frac{1}{20}x$

$y = 300 + 0.05x$

Ex 3



$$\text{Rate} = \frac{\text{dep } \Delta}{\text{indep } \Delta}$$

$$\text{Rate} = \frac{20}{5} = \frac{4}{1} = 4$$

y-intercept = 60

$$y = 60 + 4x$$

$y = (\text{constant})$  plus  $(\text{rate times } x)$   
y-intercept